

Sonometer - I

AIM: To verify the relation between the frequency and resonating length. Also to find the frequency of the given tuning fork.

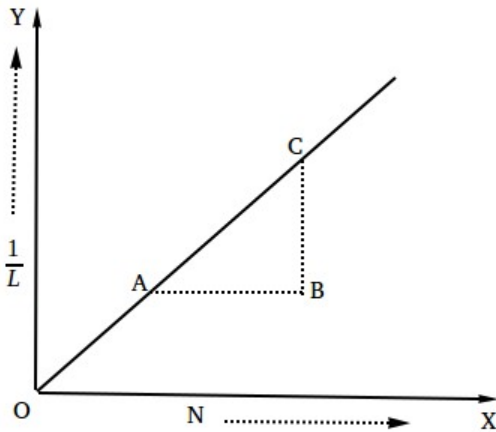
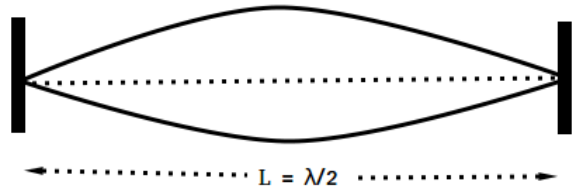
APPARATUS: Sonometer apparatus, tuning forks, slotted weight, rubber hammer etc

THEORY:

Every object has a natural frequency. If the rate of energy is applied to the object matches the natural frequency, the object vibrates with maximum amplitude, the resonance occurs.

The frequency $F = \frac{v}{\lambda} = \frac{1}{2L} \sqrt{\frac{T}{\mu}}$

where T is the tension of the string and μ is the mass per unit length (linear density) of the wire. Which are constants.



Then **(F x L) = a constant**

If **l** is the resonating length for an unknown frequency (**f**),

we can write **f x l = F x L**

Therefore unknown frequency **f = $\frac{F \times L}{l}$**

From the graph **F x L = $\frac{AB}{BC}$**

OBSERVATIONS:

Trial No	Frequency of the tuning fork (F) Hz	Resonating Length of Sonometer wire (L) cm			$\frac{1}{L}$ cm ⁻¹	F x L Hz cm
		1	2	Mean		
1						
2						
3						
Unknown Frequency (f)				l =	Mean (F x L) =	

CALCULATIONS:

From the graph, **F x L = $\frac{AB}{BC}$ =** = Hz cm

Mean (F x L) = = Hz cm

Unknown Frequency **f = $\frac{Mean(F \times L)}{l}$ =** = Hz

RESULTS:

1. **F x L** is found to be a constant. The relation between frequency and resonating length is verified
2. Frequency of the given tuning fork = Hz